

Introduction to Programming (CS 101)

Spring 2024



Lecture 6:

Internal representations of data types

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Based on material developed by Prof. Abhiram Ranade and Prof. Manoj Prabhakaran

Reminder: Theory Quiz 1

- **Details:**

- Date/ Time: Feb 5th, 2025, 8:30 am to 9:30 am
- Venues: LA001, LA002, LA201, LA202, LH101, LH102

- **Syllabus:**

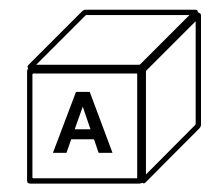
- All the content covered in lectures 1 to 5

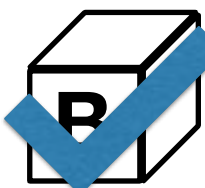
- **Mode:**

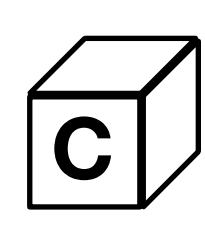
- Closed book / closed notes quiz
- No devices (phones, laptops, tablets, smart watches, etc.) allowed
- No calculator needed
- Seating chart will be shared next week

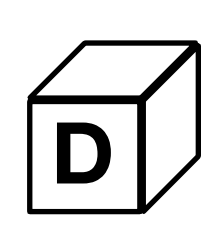
Recap-I: To increment or not to increment (and continue)

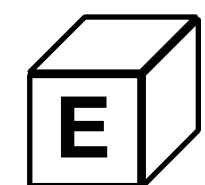
What is the output of the following program?

 2, 1

 1, 1

 0, 2
1, 1

 0, 1
1, 1

 1, 2

```
main_program {  
    for(int i = 0; i < 2; i++) {  
        for(int j = 0; j < 2; j++) {  
            if(i == j++)  
                continue;  
            cout << i << ", " << j << endl;  
        }  
    }  
}
```

Recap-II: Compute n choose 2

Given a non-negative integer n , fill in all three boxes in the code template below to compute

$$\binom{n}{2} = C(n,2) = \frac{n!}{2(n-2)!} \text{ (the well-known combination formula to choose 2 from } n \text{ items)}$$

```
main_program {  
    unsigned int n, count = 0;  
    cin >> n;  
  
    for(int i = 1; ; i++) {  
        for(int j = ; ; j++)  
            count += 1;  
    }  
  
    cout << n << " choose 2 = " << count << endl;  
}
```

Recap-II: Compute n choose 2

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$$\binom{n}{2} = C(n,2) = \frac{n!}{2(n-2)!} \text{ (the well-known combination formula to choose 2 from } n \text{ items)}$$

```
main_program {  
    unsigned int n, count = 0;  
    cin >> n;  
  
    for(int i = 1; i < n; i++) {  
        for(int j = i + 1; j <= n; j++)  
            count += 1;  
    }  
  
    cout << n << " choose 2 = " << count << endl;  
}
```



Data types and their representations

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bool type

- Simplest data type that takes two values `true`, `false`.
 - Internally occupies a **byte** of memory (equivalent to **8 bits**)
- Other types can be converted to `bool`
 - Implicitly: By using it where a `bool` expression is expected. E.g., `bool b = expr`, `if(expr)`, etc.
 - Explicitly: An expression `expr` can be explicitly cast to `bool` by writing `bool(expr)`
- Zero is treated as `false`, all other non-zero values are treated as `true`
 - Conversely, for `bool` to `int`, `false` converted to `0` and `true` to `1`
 - Arithmetic on `bool` treats the underlying quantities like integers
- What is x here?

```
int x; bool y; x = y = 5;
```

x = 1

output

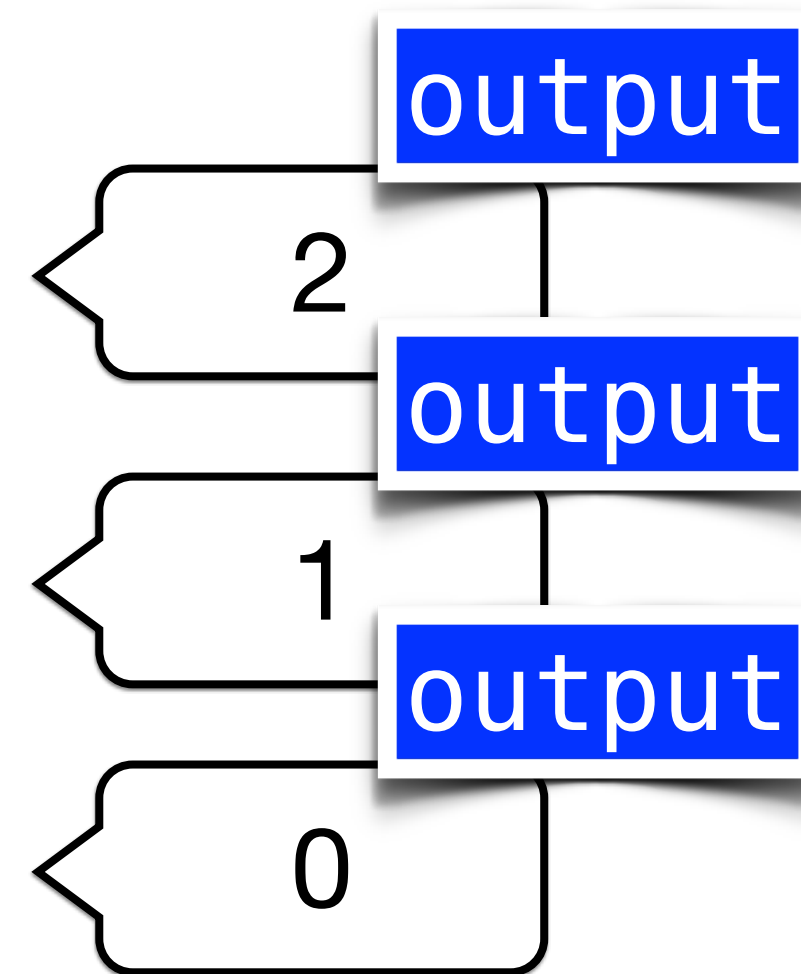
bool arithmetic

```
bool b1, b2;  
b1 = 1; b2 = -1;
```

```
cout << b1 + b2 << endl;
```

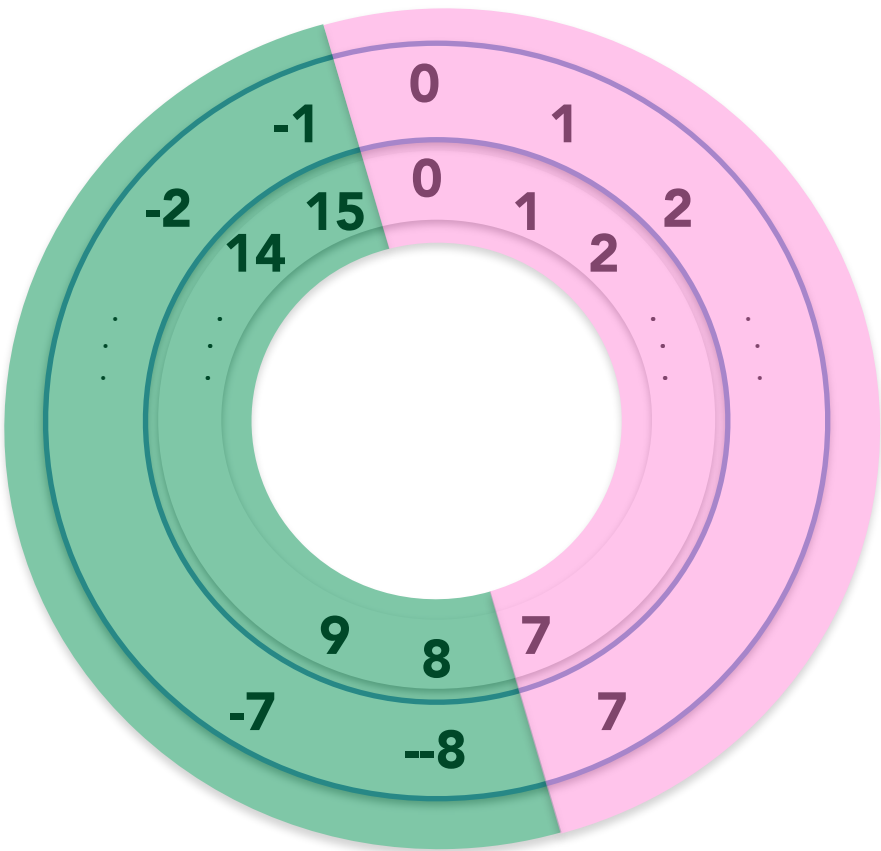
```
cout << (b1+=b2) << endl;
```

```
cout << (b1+=-1) << endl;
```



Binary representation

- Using n bits, we can represent 2^n different numbers
 - $b_{n-1} \dots b_1 b_0$ stands for the number $b_{n-1} * 2^{n-1} + \dots + b_1 * 2^1 + b_0 * 2^0$
 - Numbers $[0,7]$ uses 3 bits, $[0,15]$ uses 4 bits
- We can use bits to represent negative numbers too
- Standard format: Two's complement
 - n bits to represent integers in the range $[-2^{n-1}, 2^{n-1} - 1]$

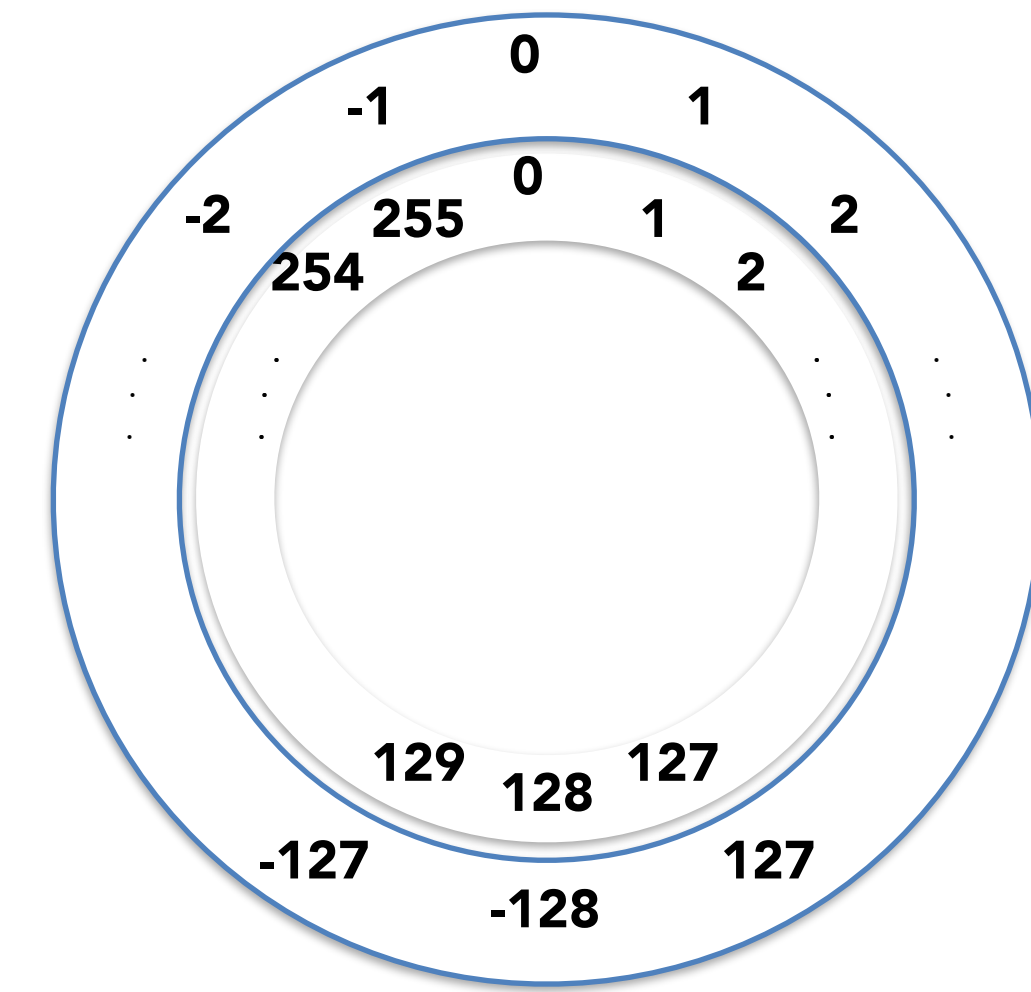


0	0	0000	0	000	0	00	0	0
1	1	0001	1	001	1	01	1	1
2	2	0010	2	010		10		
3	3	0011	3	011		11		
4	4	0100	4	100				
5	5	0101	5	101				
6	6	0110	6	110				
7	7	0111	7	111				
-8	8	1000						
-7	9	1001						
-6	10	1010						
-5	11	1011						
-4	12	1100						
-3	13	1101						
-2	14	1110						
-1	15	1111						

char type

char	ASCII
0	48
1	49
2	50
3	51

- In C++, `char` data type corresponds to a single byte, i.e., 8 bits
- unsigned `char` works like an integer in the range `[0, 255]`
 - `00000000` is `0`, and `11111111` is `255`
- signed `char` works like an integer in the range `[-128, 127]`
 - `00000000` is `0`, and `01111111` is `127`
 - `10000000` is `-128`, and `11111111` is `-1`
- Operations like `+`, `-`, `*`, `/` work with `char` like for integers, and the result is an integer (can be converted back to `char`, if desired)
- Converting (implicitly or by casting) integers to `char` is done by mod 256 (i.e. `% 256`)



```
int x = 306; char y; y = x; cout << y;
```

2 output

Bitwise operations

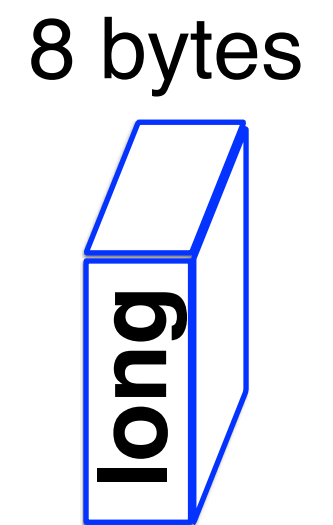
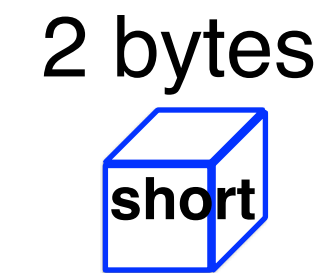
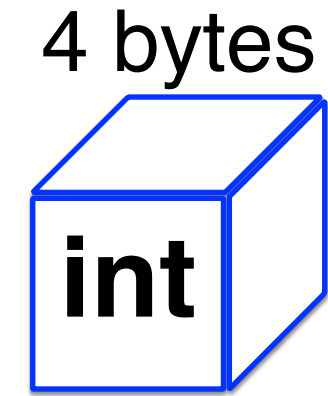
- We can carry out bit-level manipulations using $\&$, $|$, $\sim$ bitwise operators: Same semantics as AND, OR, NOT, respectively
- These operators can be applied **bitwise** on bytes
 - $00001111 \ \& \ 11110000 \rightarrow 00000000$
 - $00001111 \ | \ 11110000 \rightarrow 11111111$
 - $\sim 00110011 \rightarrow 11001100$
- XOR operator, $\wedge$:
 - $0 \wedge 0 \rightarrow 0$
 - $1 \wedge 0 \rightarrow 1$
 - $0 \wedge 1 \rightarrow 1$
 - $1 \wedge 1 \rightarrow 0$

Example: char operations

- Demo in class of code to convert lowercase to uppercase and vice-versa
- Note:
 - ASCII code of the character 'A' is **01000001 (65)**
 - ASCII code of the character 'a' is **01100001 (97)**

int type

- `int` and `unsigned int` correspond to 4 bytes, i.e., 32 bits
- `int` takes values in the range $[-2^{31}, 2^{31}-1]$ ($\approx [-2 \text{ billion}, 2 \text{ billion}]$)
- `unsigned int` takes values in the range $[0, 2^{32} - 1]$ ($\approx [0, 4 \text{ billion}]$)
- `short int` and `unsigned short int` correspond to 2 bytes
- `long long int` and `unsigned long long int` correspond to 8 bytes
- `long int` and `unsigned long int` correspond to 4 bytes (same as `int`)





Next class: More about data types
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